



On the fundamental relation between soil creep and cyclic pile-soil response

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Background

- Pile foundations are often used for the support of infrastructure (such as railways and roads) on soft soils.
- The piles are often floating piles and hence the bearing capacity is governed by the shaft resistance (=displacement problem).
- The current design methods are rather conservative for static loads, incomplete for cyclic loads
- There may be detrimental effects on the creep rate when the pile is subjected to cyclic loads, leading to significant strength degradation and long-term deformations.
- Also, the cyclic and dynamic pile-soil interface behaviour in sensitive soft soils has not been systematically studied.





Aim

- The aim of the proposed project is to study the interplay between creep and cyclic pile-soil interaction in sensitive soft soils.
 - Fundamental research on the effect of cyclic loading perturbations on the creep rate in soft soils, and its effect on the long term stability of floating piles for static and cyclic loads.
- Focus will be on incorporating cyclic loading effects

• viscoplastic model (creep + cyclic effects)





Objectives

- Element testing of high quality soft clay under long term static loading with small cyclic load perturbations.
- Advanced cyclic soil-structure interface testing using constant normal stiffness (CNS) shear box. This allows for systematic study of pile-soil behaviour under appropriate boundary conditions.
- Advanced constitutive and numerical modelling of creep and pile deformation phenomena in soft clays



Methodology & Expected result

- Methodology
 - Literature review (models & data)
 - Basic creep model (Sivasithamparam et al. 2015)
 - UMAT for general FE codes (Plaxis and Tochnog)
 - Automated initial parameter set
 - Theoretical ranges for parameters (Gras et al. submitted)
 - User independent optimisation of parameters
 - Cyclic creep model (Bubble-Creep)
 - Accumulation model (UMAT for general FE) developed as part of sister project (Deformations of piled slab track on soft soils) & calibration against soft soil data (Wichtmann data on Onsøy clay)
- Expected result
 - Improved predictions of floating pile systems on soft soils





Creep-SCLAY1S model



- Anisotropy (initial & evolution)
- Bonding and destructuration
- Rate-dependency

Sivasithamparam et al. 2015, Sexton et al. 2016





But model has many parameters

-	Parameter	Definition	unit	value
	λ_i^*	Modified intrinsic compression index	[-]	0.076
	κ^*	Modified swelling index	[-]	0.011
\prec	u	Poisson's ratio	[-]	0.15
	M_c	Stress ratio at critical state in triaxial compression	[-]	1.23
	M_e	Stress ratio at critical state in triaxial extension	[-]	0.80
	(ω)	Rate of rotation	[-]	200
\neg	ω_d	Rate of rotation due to deviator strain	[-]	0.56
	a	Rate of destructuration	[-]	10
	b	Rate of destructuration due to deviator strain	[-]	0.30
	(OCR)	Over-consolidation ratio	[-]	1.1
	e_0	Initial void ratio	[-]	1.80
	$lpha_0$	Initial anisotropy	[-]	0.47
	χ_0	Initial amount of bonding	[-]	10
	μ_i^*	Modified intrinsic creep index	[-]	0.005
	au	Reference time	[d]	1









 Minimising error function, use data from several tests using multiple object functions







 Uniqueness, however, is an issue when the parameter sets are compared for a test that is not used in calibration.



Gras et al, in preparation





- Clever optimisation
 - Only optimise the model parameters that matter for the target function
 - Do notoptimise trusted values (*M*, λ_i).
- This requires a sensitivity analysis using best estimate for uncertainties in the determination (real world)
- Three artificial datasets, so that you know the baseline value for later comparisons
- Morris (relative importance) and Sobol (quantifies influence)



Sensitivity



CAUE CAUC CRS





Sensitivity

Summary sensitivity analysis

Loading Path	range 1: most sensitives	range 2: most important
CADE	$\sigma_{p0},M_e,M_c,\kappa^{*},\nu^{\prime},\alpha_0,\omega$	$\omega,\sigma_{p0},\alpha_0,\kappa^*,\nu',a,b$
CADC	$\sigma_{p0},M_c,\xi^*_i,a$	$\sigma_{p0}, a, b, M_c, \xi^*_i$
CRS	$\xi_i^*,\sigma_{p0},a,M_c,\kappa^*$	$a,\sigma_{p0},\xi^*_i,b,\kappa^*$
CAUE	$\sigma_{p0},M_e,\alpha_0,\kappa^*,\nu',M_c$	$\sigma_{p0}, \alpha_0, \omega, \kappa^*, \nu'$
CAUC	$\sigma_{p0},M_c,\xi^*_i,\alpha_0$	$\sigma_{p0}, b, \alpha_0, a$





Do several runs and take the one with the smallest error



⁽c) Error function





You can fit clean & noisy experimental data very well







Bubble Creep model







Results from bubble model







Constant stiffness shear box









Future work

- Complement tests on cyclic temperature perturbations with mechanical perturbations
- Try to find alternative for Bubble formulation (as that is too slow for real boundary value problems)
- Cyclic interface tests with new CNS shear box